



# SWARNANDHRA COLLEGE OF ENGINEERING & TECHNOLOGY

(Autonomous)

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Seetharampuram, NARSAPUR-534 280, W.G-Dist., Andhra Pradesh

## DEPARTMENT OF S & H

### TEACHING PLAN

Course Code	Course Title	Year/Semester	Branch	Contact Periods/Week	Academic Year	Date of Commencement of Semester
23BS4T01	<b>COMPLEX VARIABLES PROBABILITY AND STATISTICS</b>	II/IV	MECH & RBTS	60/6	2024-25	16 – 12-2024

**Course Outcomes:** After successful completion of this course, students should be able to:

1	<b>CO1:</b> Apply Cauchy-Riemann equations to complex functions in order to determine whether a given continuous function is analytic (K3)
2	<b>CO2:</b> evaluate the Taylor's and Laurent's expansions of simple functions, determine the nature of the singularities and calculate residues to evaluate certain integrals (K3)
3	<b>CO3:</b> Application of different distribution functions like Binomial, Poisson, Uniform, Normal (K3)
4	<b>CO4 :</b> Apply Sampling Distribution and estimate the population parameters. (K3)
5	<b>CO5:</b> Examine the statistical inferential methods based on small and large sampling tests. (K3)

Unit	Outcome/ Bloom's Level	Topics No.	Topics/Activity	Text Book/ Reference	Contact Hour	Deliver y Method	
		<b>UNIT I: Functions of a complex variable and Complex integration</b>					
1	CO1: Students are able to apply Cauchy-Riemann equations to complex functions in order to determine whether a given continuous function is analytic (K3)	1.1	Introduction	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1	12	PPT,BB
		1.2	Continuity	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.3	Differentiability	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.4	Analyticity	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.5	Cauchy – Riemann Equations in Cartesian Co-Ordinates ,related problems	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.6	Cauchy – Riemann Equations in Polar Co-Ordinates, related problems	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.7	Harmonic functions and Conjugate harmonic functions related problems	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.8	Milne- Thompson Method, related problems	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.9	Complex integration: Line integral	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.10	Cauchy's Integral Theorem (without proof) ,related problems	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.11	Cauchy's integral formula ( without proof), related problems	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB
		1.12	Generalized integral formula(without proof), related problems	T <sub>1</sub> ,R <sub>1</sub> ,R <sub>2</sub>	1		PPT,BB

2	CO2: Students are able to evaluate the Taylor's and Laurent's expansions of simple functions, determine the nature of the singularities and calculate residues to evaluate certain integrals (K3)	<b>UNIT II: Series expansions and Residue Theorem</b>					
		2.1	Radius of convergence	$T_1, R_1, R_2$	1	13	PPT, BB
		2.2	Expansion in Taylor's series, related problems	$T_1, R_1, R_2$	1		PPT, BB
		2.3	Problems on Taylor's series	$T_1, R_1, R_2$	1		PPT, BB
		2.4	Maclaurin's series, related problems	$T_1, R_1, R_2$	1		PPT, BB
		2.5	Laurent's series, related problems	$T_1, R_1, R_2$	1		PPT, BB
		2.6	Problems on Residue theorem	$T_1, R_1, R_2$	1		PPT, BB
		2.7	Types of Singularities: Isolated, Essential singularities	$T_1, R_1, R_2$	1		PPT, BB
		2.8	Pole of order m, Residues, related problems	$T_1, R_1, R_2$	1		PPT, BB
		2.9	Residue theorem (without proof), related problems	$T_1, R_1, R_2$	1		PPT, BB
		2.10	Problems on Residue theorem	$T_1, R_1, R_2$	1		PPT, BB
		2.11	Evaluation of real integral of the type $\int_0^{\infty} f(x) dx$ , related problems	$T_1, R_1, R_2$	1		PPT, BB
2.12	Evaluation of real integral of the type $\int_0^{2\pi} f(\cos\theta, \sin\theta) d\theta$ . related problems	$T_1, R_1, R_2$	1	PPT, BB			
		CBS	Conformal mappings	$T_1, R_1, R_2$	1	PPT, BB	
3	CO3: Students are able to apply different types of distribution functions like Binomial, Poisson, Uniform, Normal (K3)	<b>UNIT III: Probability &amp; Distributions</b>					
		3.1	Review of probability and Baye's theorem	$T_2, R_1, R_2$	1	12	PPT, BB
		3.2	Baye's theorem	$T_2, R_1, R_2$	1		PPT, BB
		3.3	Random variables	$T_2, R_1, R_2$	1		PPT, BB
		3.4	Discrete and continuous random variables	$T_2, R_1, R_2$	1		PPT, BB
		3.5	Distribution functions	$T_2, R_1, R_2$	1		PPT, BB
		3.6	Probability mass function	$T_2, R_1, R_2$	1		PPT, BB
		3.7	Probability density function	$T_2, R_1, R_2$	1		PPT, BB
		3.8	Cumulative distribution functions	$T_2, R_1, R_2$	1		PPT, BB
		3.9	Mathematical expectation and variance	$T_2, R_1, R_2$	1		PPT, BB
		3.10	Binomial distributions	$T_2, R_1, R_2$	1		PPT, BB
		3.11	Poisson distributions	$T_2, R_1, R_2$	1		PPT, BB
3.12	Uniform and Normal distributions	$T_2, R_1, R_2$	1	PPT, BB			
4	CO4: Students are able to apply Sampling Distribution and estimate the population parameters. (K3)	<b>UNIT IV: Sampling theory</b>					
		4.1	Introduction	$T_2, R_1, R_2$	1	11	PPT, BB
		4.2	Population and Samples	$T_2, R_1, R_2$	1		PPT, BB
		4.3	Sampling distribution of Means and Variance (definitions only)	$T_2, R_1, R_2$	1		PPT, BB
		4.4	Central limit theorem (without proof)	$T_2, R_1, R_2$	1		PPT, BB
		4.5	Representation of the normal theory distributions	$T_2, R_1, R_2$	1		PPT, BB
		4.6	Introduction to t, $\chi^2$ and F-distributions	$T_2, R_1, R_2$	1		PPT, BB
		4.7	Problems on t-test	$T_2, R_1, R_2$	1		PPT, BB
		4.8	Problems on $\chi^2$ -test	$T_2, R_1, R_2$	1		PPT, BB
4.9	Problems on F-test	$T_2, R_1, R_2$	1	PPT, BB			

		4.10	point and interval estimations	$T_2, R_1, R_2$	1		PPT, BB
		4.11	maximum error of estimate.	$T_2, R_1, R_2$	1		PPT, BB
5	CO5: Students are able to the statistical inferential methods based on small and large sampling tests. (K3)	<b>UNIT V: Tests of Hypothesis:</b>					
		5.1	Introduction – Hypothesis	$T_2, R_1, R_2$	1	12	PPT, BB
		5.2	Null and Alternative Hypothesis	$T_2, R_1, R_2$	1		PPT, BB
		5.3	Null and Alternative Hypothesis	$T_2, R_1, R_2$	1		PPT, BB
		5.4	Type I and Type II errors	$T_2, R_1, R_2$	1		PPT, BB
		5.5	Type I and Type II errors	$T_2, R_1, R_2$	1		PPT, BB
		5.6	Level of significance	$T_2, R_1, R_2$	1		PPT, BB
		5.7	One tail and two-tail tests	$T_2, R_1, R_2$	1		PPT, BB
		5.8	One tail and two-tail tests	$T_2, R_1, R_2$	1		PPT, BB
		5.9	Tests concerning one mean and two means (Large and Small samples)	$T_2, R_1, R_2$	1		PPT, BB
		5.10	Tests concerning one mean and two means (Large and Small samples)	$T_2, R_1, R_2$	1		PPT, BB
		5.11	Tests on proportions	$T_2, R_1, R_2$	1		PPT, BB
5.12	Tests on proportions	$T_2, R_1, R_2$	1	PPT, BB			
<b>Cumulative Proposed Periods</b>						<b>60</b>	

**Text Books:**

S.No.	Authors, Book Title, Edition, Publisher, Year of Publication
1	B. S. Grewal, Higher Engineering Mathematics, 44/e, Khanna Publishers, 2012.
2	S.C.Gupta and V.K. Kapoor, Fundamentals of Mathematical Statistics, 11/e, Sultan Chand & Sons Publications, 2012.

**Reference Books:**

S. No	Authors, Book Title, Edition, Publisher, Year of Publication
1	Dr T.K.V.Iyengar & Dr B.Krishna Gandhi, Probability & Statistics S.Chand Publishing.
2	Miller and Freund's, Probability and Statistics for Engineers, 7/e, Pearson, 2008

**Web Details**

1	<a href="https://en.wikibooks.org/wiki/Calculus/Complex_analysis">https://en.wikibooks.org/wiki/Calculus/Complex_analysis</a> (Functions of a Complex Variable)
2	<a href="https://youtu.be/60ReaZWsvCA">https://youtu.be/60ReaZWsvCA</a> (complex power series)
3	<a href="https://www.probabilityandrandomvariables.com">https://www.probabilityandrandomvariables.com</a> (Probability and Random variables)
4	<a href="https://youtu.be/mBCiKUzwdMs">https://youtu.be/mBCiKUzwdMs</a> ( Sampling theory )
5	<a href="https://www.colorado.edu/amath/sites/default/files/attached-files/lesson9_hyptests.pdf">https://www.colorado.edu/amath/sites/default/files/attached-files/lesson9_hyptests.pdf</a>

	Name	Signature with Date
i.	Faculty	Mr. T.V.LAKSHMANA RAO
ii.	Course Coordinator	Mr. T.V.LAKSHMANA RAO
iii.	Module Coordinator	Mrs. R.V. LAKSHMI
iv.	HOD of S & H	Dr. V. SWAMINADHAM.

Principal 