

COLLEGE OF ENGINEERING & TECHNOLOGY

(AUTONOMOUS)

Accredited by National Board of Accreditation, AICTE, New Delhi, Accredited by NAAC with "A" Grade – 3.32 CGPA, Recognized under 2(f) & 12(B) of UGC Act 1956, Approved by AICTE, New Delhi, Permanent Affiliation to JNTUK, Kakinada Approved by AICTE, New Delhi, Permanent Affiliation to Pradesh)

Seetharampuram, W.G.DT., Narsapur-534280, (Andhra Pradesh)

### DEPARTMENT OF BASIC SCIENCES & HUMANITIES TEACHING PLAN

| Cours  | The state of the s | Semester                  | Branches Contac<br>Periods<br>/Week   | Y                              | demic<br>'ear   | Date of commencement of Semester       |  |  |
|--------|--|---------------------------|---|--------------------------------|-----------------|--|--|--|
| 23BS3T | NUMERICAL<br>METHODS   | III                       | EEE 60/6  |                                | 24-25           | 30-07-2024                             |  |  |
| COURS  | E OUTCOMES: At the   | end of thi                | s course, the student will be   | able to                        |                 |  |  |  |
| COI    | given continuous   | function                  | uations to complex functions is analytic (k3)   |                                |                 |  |  |  |
| CO2    | the singularities a<br>evaluate certain i  | ınd calcul<br>ntegrals () | surent expansions of simple f<br>ating residues.Make use of the<br>K3)  | e Cauchy                       | residue t       | ng the nature of<br>heorem to          |  |  |
| CO3    |  |                           | ious types of conformal map   |                                |                 |  |  |  |
| CO4    | different algorith   | ms and ap                 | ximate roots of polynomial and transcendental equations by as and apply Newton's forward & backward interpolation and ae for equal and unequal intervals (K3) |                                |                 |  |  |  |
| CO5    | The State of State of the Control of |                           | nd differential methods to d  |                                | ngineering      | g problems.                            |  |  |
| UNIT   | Out Comes /  | Topic<br>No.              | Topics/Activity   | Text<br>Book/<br>Refere<br>nce | Contact<br>Hour | Delivery<br>Method                     |  |  |
| 2      |  |                           | Functions of a complex varia  | ble and co                     | omplex in       | egration                               |  |  |
|        |  | 1.1                       | Introduction _Limit Continuity  | $T_1&T_2$<br>$T_1&T_2$         | 1               | _                                      |  |  |
|        |  | 1.2                       | Differentiability _<br>Analyticity  | T <sub>1</sub> &T <sub>2</sub> | 1               |  |  |  |
|        | COI  |                           | Cauchy-Riemann  | $T_1\&T_2$ $T_1\&T_2$          | 1 1             | -                                      |  |  |
|        | Students are able to apply Cauchy-   | 1.3                       | equations in Cartesian and polar coordinates  | T <sub>1</sub> &T <sub>2</sub> | 1               |  |  |  |
|        | Riemann equations to   | 1.4                       | Harmonicand conjugate   | T <sub>1</sub> &T <sub>2</sub> | 1               |  |  |  |
|        | complex functions in order to determine whether a given  | 1.5                       | harmonic functions Milne – Thompson method  | $T_1\&T_2$ $T_1\&T_2$          | 1               | Chalk &<br>Talk,Active<br>learning,PPT |  |  |
| 1      |  |                           | Complex integration: Line integral  | T <sub>1</sub> &T <sub>2</sub> | 1               | and Tutorial                           |  |  |
|        |  | 1.7                       | Cauchy's integral theorem   | $T_1&T_2$                      | 1               | -                                      |  |  |



COLLEGE OF ENGINEERING & TECHNOLOGY

(AUTONOMOUS)

Accredited by National Board of Accreditation, AICTE, New Delhi, Accredited by NAAC with "A" Grade – 3.32 CGPA, Recognized under 2(f) & 12(B) of UGC Act 1956, Approved by AICTE, New Delhi, Permanent Affiliation to JNTUK, Kakinada Seetharampuram, W.G.DT., Narsapur-534280, (Andhra Pradesh)

|   |   | 1000 134-7                              | Cauchy's integral formula                                       | T <sub>1</sub> &T <sub>2</sub> | 1,: |                            |
|---|---|---|---|--------------------------------|-----|----------------------------|
|   |   |   | Generalized integral  | T <sub>1</sub> &T <sub>2</sub> | 1   |                            |
|   |   | 1.8                                     | formula (all without proofs) and problems on above theorems.    | T <sub>1</sub> &T <sub>2</sub> | 1   | i i                        |
|   | III TENT  |   |   |                                | 14  |                            |
| 1   |   | Ser                                     | ies expansions and Residue T                                    | 'heorem                        |     | 145                        |
|   | The second second                               | 2.1                                     | Radius of convergence   | $T_1&T_2$                      | 1   | 1                          |
|   | CO2   | 2.2                                     | Expansion of function in Taylor's series                        | T <sub>1</sub> &T <sub>2</sub> | 1   |                            |
|   |   | 2.3                                     | Maclaurin's series and  | $T_1&T_2$                      | 1   | Chalk &                    |
|   | Students are able to                            |   | Laurent series  | $T_1&T_2$                      | 1   | Talk, Active               |
|   | evaluate the Taylor                             | 2.4                                     | Types of  | $T_1&T_2$                      | 1   | learning ,PPT and Tutorial |
|   | and Laurent expansions of simple                |   | Singularities:Isolated_<br>Essential singularitie               | T <sub>1</sub> &T <sub>2</sub> | 1   | and rutorial               |
| II  | functions,                                      | 2.5                                     |   | T <sub>1</sub> &T <sub>2</sub> | 1   |                            |
|   | determining the nature of the singularities and |   | Pole of order m- Residues - Residue theorem (without proof)     | T <sub>1</sub> &T <sub>2</sub> | 1   |                            |
|   | calculating                                     | 2.6                                     | Evaluation of real integral                                     | T <sub>1</sub> &T <sub>2</sub> | 1   |                            |
| residues.Make use of<br>the Cauchy residue<br>theorem to evaluate | I.  | of thethe types $\int_0^\infty f(x) dx$ | T <sub>1</sub> &T <sub>2</sub>                                  | 1                              |     |                            |
|   | certain integrals (K3)                          | 2.7                                     | Evaluation of real integral                                     | T <sub>1</sub> &T <sub>2</sub> | 1   |                            |
|   | proil putar                                     |   | of the types $\int_0^{2\pi} f(\cos\theta, \sin\theta) d\theta.$ | T <sub>1</sub> &T <sub>2</sub> | 1   |                            |
|   | HT CLUB   |   |   | Total                          | 12  |                            |

|   | u dell'                                  | Conformal mapping  |  |                                |   |                            |
|---|--|--|--|--------------------------------|---|----------------------------|
|   | CO3                                      | 3.1  | Transformation by e <sup>z</sup>   | T <sub>1</sub> &T <sub>2</sub> | 1 |                            |
|   | various types of conformal mappings (K5) | Tr   | lnz,z <sup>2</sup> ,z <sup>n</sup> (n-positive integer)  | T <sub>1</sub> &T <sub>2</sub> | 1 |                            |
|   |  | Sin z, cos z, $z + a/z$  | T <sub>1</sub> &T <sub>2</sub>   | 1                              |   |                            |
| Ш |  | 3.3 Translation, inversion and bilinear transformation 3.4 fixed point – cross ratio | T <sub>1</sub> &T <sub>2</sub>   | 1                              |   |                            |
|   |  |  | T <sub>1</sub> &T <sub>2</sub>   | 1                              |   |                            |
|   |  |  | fixed point - cross ratio  | T <sub>1</sub> &T <sub>2</sub> | 1 | Chalk &                    |
|   |  |  | properties   | T <sub>1</sub> &T <sub>2</sub> | 1 | Talk, Active learning, PPT |
|   |  | 3.5  | invariance of circles  | T <sub>1</sub> &T <sub>2</sub> | 1 | and Tutorial               |
|   |  | The m  |  | T <sub>1</sub> &T <sub>2</sub> | 1 | c rutottai                 |
|   |  |  | A STATE OF THE STA | $T_1&T_2$                      | 1 |                            |



COLLEGE OF ENGINEERING & TECHNOLOGY
(AUTONOMOUS)

Accredited by National Board of Accreditation, AICTE, New Delhi, Accredited by NAAC with "A" Grade – 3.32 CGPA, Recognized under 2(f) & 12(B) of UGC Act 1956, Approved by AICTE, New Delhi, Permanent Affiliation to JNTUK, Kakinada Seetharampuram, W.G.DT., Narsapur-534280, (Andhra Pradesh)

| : | 3.6 | Determination of bilinear transformation for given 3 points. | T <sub>1</sub> &T <sub>2</sub> | 1  |  |
|---|-----|--|--------------------------------|----|--|
|   | •   | -5/24  | Total                          | 11 |  |

|        |      |  |      | Iterative 1  | Methods   |    |                            |
|--------|------|--|------|--|---|----|----------------------------|
|        |      |  | 4.1  | Introduction – Solutions of algebraic and transcendental equations: Bisection method | T <sub>1</sub> &T <sub>2</sub> T <sub>1</sub> &T <sub>2</sub> | 1  |                            |
|        |      |  | 4.2  | Secant method  | T <sub>1</sub> &T <sub>2</sub>                                | 1  | 1                          |
|        |      |  | 4.3  | Method of false position   | $T_1&T_2$   | 1  |                            |
|        |      | CO4: Evaluate  | J    | T <sub>1</sub> &T <sub>2</sub>   | 1   | 1  |                            |
|        |      | the approximate  | 4.4  | Iteration method   | $T_1&T_2$   | 1  | 1                          |
|        |      | roots of   |      | ***************************************  | T <sub>1</sub> &T <sub>2</sub>                                | 1  | Chalk &                    |
|        |      | polynomial and transcendental  | 4.5  | Newton-Raphson method-<br>One variable   | T <sub>1</sub> &T <sub>2</sub>                                | 1  | Talk, Active learning, PPT |
| IV     | 7    | equations by different algorithms and apply Newton's forward & backward    | 4.6  | Difference Operators-<br>Forward,backward,central<br>and their properties.           | T <sub>1</sub> &T <sub>2</sub>                                | 1  | and Tutorial               |
|        |      |  | 4.7  | Newton's forward formulae for interpolation  | T <sub>1</sub> &T <sub>2</sub>                                | 1  |                            |
|        |      | interpolation and Lagrange's formulae for equal and unequal intervals (K3) | 4.8  | Newton's backward formulae for interpolation   | T <sub>1</sub> &T <sub>2</sub>                                | 1  |                            |
|        |      |  | 4.9  | Interpolation with unequal intervals – Lagrange's interpolation formula              | T <sub>1</sub> &T <sub>2</sub>                                | 1  |                            |
|        |      |  | 4.10 | Lagrange's interpolation formula   | T <sub>1</sub> &T <sub>2</sub>                                | 1  |                            |
|        |      |  |      |  | =   | 13 |                            |
| 8      |      | CO5<br>Students are able to  |      | erical integration, Solution etions with initial conditions                          | of ordinary   |    | ntial                      |
| v into |      | oply numerical<br>ntegral and  | 5.1  | Trapezoidal rule   | $T_1\&T_2$  | 1  |                            |
|        |      |  | 5.2  | Simpson's 1/3rd  | $T_1&T_2$   | 1  | 7                          |
|        | to d | erential methods<br>lifferent  | 5.3  | Simpson's 3/8th rule   | T <sub>1</sub> &T <sub>2</sub>                                | 1  |                            |
|        |      | Engineering problems. (K3)   |      | Solution of initial value problems by  | T <sub>1</sub> &T <sub>2</sub>                                | 1  |                            |



COLLEGE OF ENGINEERING & TECHNOLOGY

(AUTONOMOUS)

Accredited by National Board of Accreditation, AICTE, New Delhi, Accredited by NAAC with "A" Grade – 3.32 CGPA, Recognized under 2(f) & 12(B) of UGC Act 1956, Approved by AICTE, New Delhi, Permanent Affiliation to JNTUK, Kakinada Seetharampuram, W.G.DT., Narsapur-534280, (Andhra Pradesh)

|                            |  | 4                             | T= :   |                                |          |  |
|----------------------------|--|-------------------------------|--|--------------------------------|----------|--|
|                            |  |                               | Taylor's series  |                                |          | i,                                     |
|                            |  | 5.5                           | Picard's method of successive approximations   | T <sub>1</sub> &T <sub>2</sub> | 1        |  |
|                            |  | 5.6                           | Euler's method   | T <sub>1</sub> &T <sub>2</sub> | 1        |  |
|                            |  | 5.7                           | Modified Euler's method  | T <sub>1</sub> &T <sub>2</sub> | 1        |  |
|                            |  | 5.8                           | Runge-<br>Kutta method (second &<br>fourth order)  | T <sub>1</sub> &T <sub>2</sub> | 1        | Chalk &<br>Talk,Active<br>learning,PPT |
|                            |  | -nag-                         |  | T1&T2                          | 1        | and Tutorial                           |
|                            |  | 5.9                           | Milne's Predictor and<br>Corrector Method  | T <sub>1</sub> &T <sub>2</sub> | 1        |  |
|                            |  |                               |  |                                | 10       | i mieli                                |
|                            |  | - Marine                      | Cumulative Proposed  | Periods                        | 60       |  |
| Text Books                 |  |                               |  |                                |          | 241                                    |
| S.No.                      | AUTHORS, BOOK TITLE, EDITION, PUBLISHER, YEAR OF PUBLICATION                                       |                               |  |                                |          |  |
| T1                         | Dr. B.S.Grewal Higher Engineering Mathematics, 43 <sup>rd</sup> Edition, Khanna Publications, 2015 |                               |  |                                |          |  |
| T2                         | Dr.T.K.V.Iyenga  | r, Engine                     | eering Mathematics, New Edit   | ion, S.Char                    | d Publis | shers.                                 |
| Reference                  |  |                               |  |                                |          | I Ju                                   |
| S.No.                      | <b>AUTHORS, BO</b>   | OK TIT                        | LE, EDITION, PUBLISHE  | R, YEAR                        | OF PU    | BLICATION                              |
| R1                         | Erwin Kreyszig, Advanced Engineering Mathematics, 10th Edition, Wiley-India.                       |                               |  |                                |          |  |
|                            |  |                               | EX. 10 Process of the second o |                                |          |  |
|                            |  |                               | gineering Mathematics, 2007  | Edition, Ta                    |          |  |
| R2                         | B. V. Ramana,Hi<br>Education.  |                               |  | Edition, Ta                    |          |  |
| R2<br>Web Detail           | B. V. Ramana,Hi<br>Education.  | gher Eng                      | gineering Mathematics, 2007  | Edition, Ta                    |          |  |
| R2<br>Web Detail<br>1<br>2 | B. V. Ramana,Hi<br>Education.  | gher Eng                      | gineering Mathematics, 2007  | Edition, Ta                    |          |  |
| R2                         | B. V. Ramana,Hi Education.  Is https://youtu.be/3  | gher Eng<br>j0c_FhC<br>Aw3fN2 | gineering Mathematics, 2007 I  | Edition, Ta                    |          |  |

| 20 July 1                  | Name              | Signature with Date |
|----------------------------|-------------------|---------------------|
| i. Faculty                 | Mrs.R.V.Lakshmi   | R.V.tali            |
| ii. Course Coordinator     | Mrs.R.V.Lakshmi   | P.V.A               |
| iii. Module Coordinator    | Mr. K.D.N.Murthy  | ATT I               |
| iv. Head of the Department | Dr. V.Swaminadham | Vilana              |

